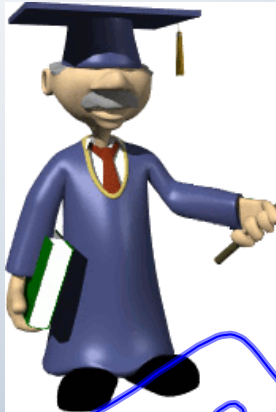


$$\sum_n = \frac{n(n+1)}{2}$$

Here is your warm-up ...



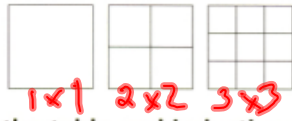
FACTOR  
4 12 4

~~Lesson Quiz~~

Lesson 1-1

Find a pattern for each sequence. Use the pattern to show the next two terms or figures.

3, -6, 18, -72, 360



1x1 2x2 3x3



4x4



5x5

the table and inductive reasoning. Make a conjecture at each value.

1	= 1	= $\frac{1 \cdot 2}{2}$
2	+ 2	= 3 = $\frac{2 \cdot 3}{2}$
3	+ 2 + 3	= 6 = $\frac{3 \cdot 4}{2}$
4	1 + 2 + 3 + 4	= 10 = $\frac{4 \cdot 5}{2}$

$$\frac{x(x+1)}{2}$$

x = 1000

$$\frac{10 \cdot 11}{2} = 55$$

3. the sum of the first 10 counting numbers

4. the sum of the first 1000 counting numbers

$$\frac{1000 \cdot 1001}{2} = 500,500$$

Show that the conjecture is false by finding one counterexample.

5. The sum of two prime numbers is an even number.

$$2 + 3 = 5$$

Building blocks of Euclidean geometry

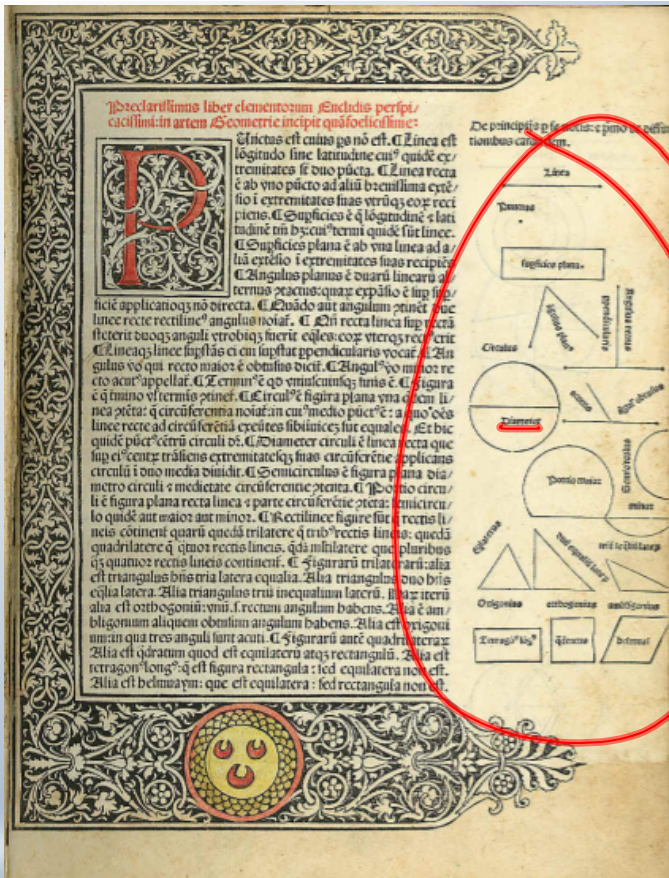
- Points
- Lines
- Planes



What does *Euclidean* mean?

- Euclid - ancient Greek mathematician
- ~ 300BC
- Wrote book series: *The Elements*
- Books 1-6 are on plane geometry (Euclidean)

~~PLAIN~~ ~~AS~~



## *Point*

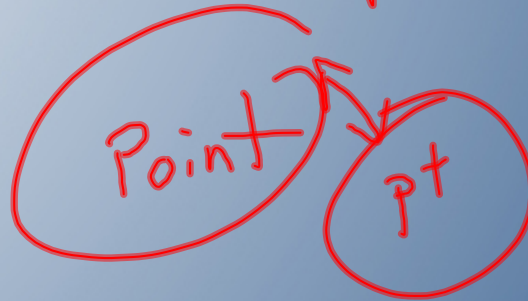
- Basic unit of geometry
- Has no size, *Have location*
- Drawn as a small dot
- Named by a capital letter
- Is *undefined* in Euclidean geometry

*pt P p+A*

*Define*

*•A*

*P*

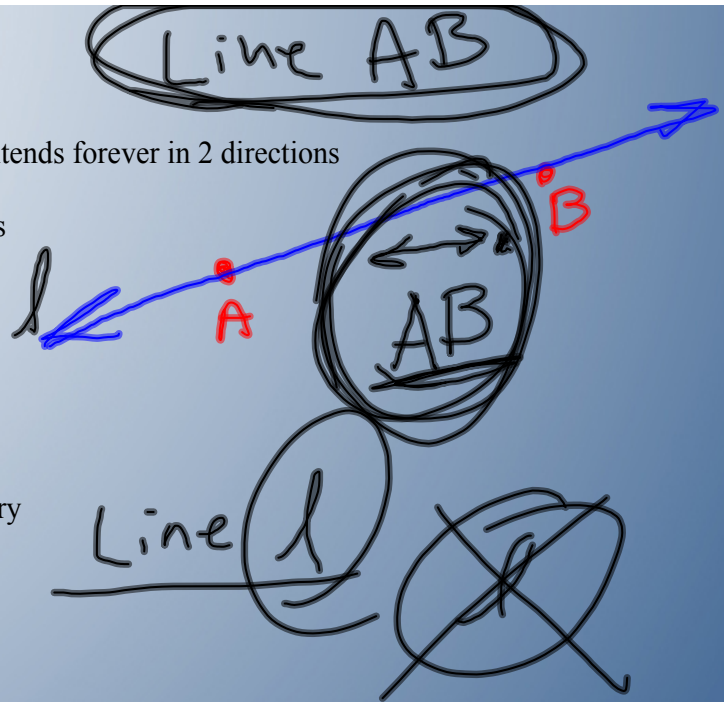


## *Space*

- The collection of *all* points

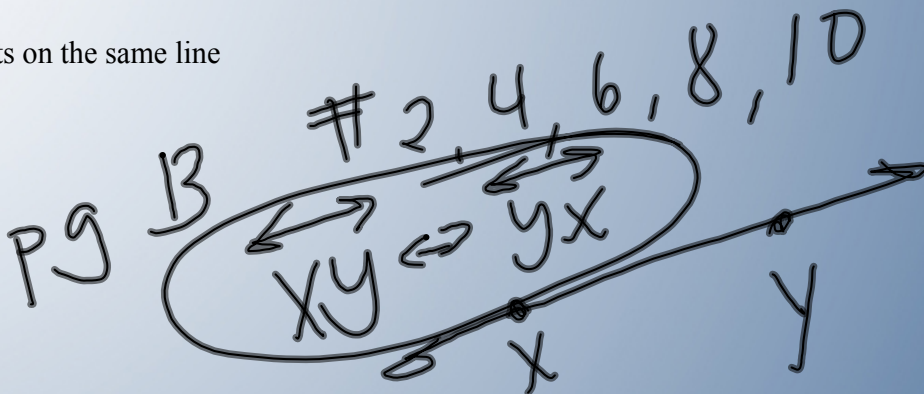
### Line

- Straight arrangement of pts that extends forever in 2 directions
- Has infinite length but no thickness
- Named by: (2 different ways)
  - \* Any 2 pt on a line
  - \* A lower case letter
- Is *undefined* in Euclidean geometry



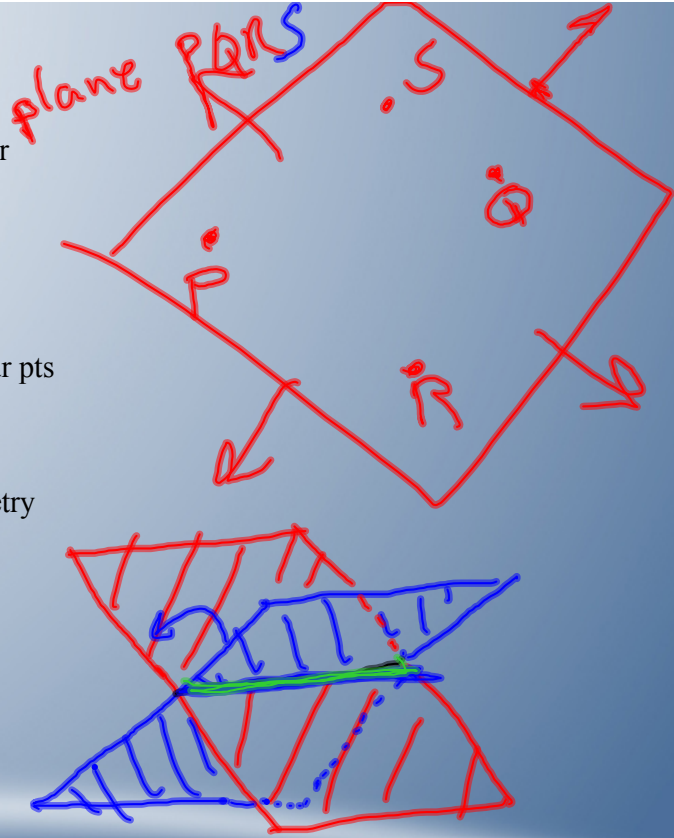
### Collinear points

- Points on the same line



### ***Plane***

- A flat surface that extends forever
- Has no thickness
- Named by: (2 different ways)
  - \* At least 3 of its noncollinear pts
  - \* A single capital letter
- Is ***undefined*** in Euclidean geometry



### ***Coplanar***

- Objects (lines, points, geometric shapes, etc) that line in the same plane

*Axiom* / Postulate  $\rightarrow$  conjecture

- An accepted statement of fact
- Also known as a *postulate*

↓ true  
theorem  
pg 732.

*Consider 2 points ... any 2 ...*

- What statements can you make?
- What conclusions can you draw?
- ...use our point/line/plane terminology...
- How do they relate to the other types of figures?

Post 1-k

***Consider 2 lines... any 2 ...***

- What statements can you make?
- What conclusions can you draw?
- ...use our point/line/plane terminology...
- How do they relate to the other types of figures?

Post 1-2

***Consider 2 planes... any 2 ...***

- What statements can you make?
- What conclusions can you draw?
- ...use our point/line/plane terminology...
- How do they relate to the other types of figures?

Post 1-3

Post 1-4

*Consider 3 noncollinear points ... any 3 ...*

- What statements can you make?
- What conclusions can you draw?
- ...use our point/line/plane terminology...
- How do they relate to the other types of figures?

Post 1-1

*Postulate 1-1*

- Through any two points there is exactly one line.

*Postulate 1-2*

- If two lines intersect, then they intersect in exactly one point.

*Postulate 1-3*

- If two planes intersect, then they intersect in exactly one line.

*Postulate 1-4*

- Through any three noncollinear points there is exactly one plane.

P 13  
1-43 odd  
47-71 odd  
74  
76